

ÇANKAYA UNIVERSITY Faculty of Arts and Sciences

Course Definition Form

Part I. Bas	ic Cour	se Information								
Department	Name	MATHEMATICS					Dept	t. Numeric Cod	e 2 7	
Course Cod	е	M A T H 2 5	2	Number of Weekly Lecture Hours	4		r of Weekly torial Hours	0	Number of Credit Hours	4
Course Web	Site	http://math252.cankaya.edu.tr					ECT	0 8		
Course Nam	-	ar in the printed catalogs and o	n the v	web online catalog.						
English Name	Advan	ced Calculus II								
Turkish Name	İleri Ar	naliz II								
Course Desc Provide a brief Maximum 60 w	overview o	of what is covered during the se	mester	r. This information will appe	ar in ti	he printed	catalogs and on t	the web	online catalog.	
Differential Product ru and Implic	ble Map le and (cit Func	ons, the Arzela - As pings, Differentials of gradients, Higher deriv tion Theorems, Lagra Fourier Analysis, Inne	tran: vativ ange	sformations, Matrix es, Maxima and M Multipliers, Integ	repr inima atio	resentate a of the n, Sets	tion, Different functions of of measur	ntiable lefine e zer	e paths,The o d on R^n, Th o, Improper	chain rule, ne Inverse Integrals,
Prerequisite (if any) Give course co	des and	1 st		2 nd			3 rd		4 th	
applicable.		☐ Consent of the Instructor ☐ Senior Standing ☐ Give others, if any.					4 th			
Co-requisite (if any)	s		$\exists C$							
Course Type Check all that are applicable Must course for dept.		Must course for dept.	☐ Mu	ust course for other dept.(s	. [Elective	course for dept.		Elective course for	other dept.(s)
Course Clas		1 entage for each category.								
Category	,	natics & Natural Sciences	Arc	Engineering & chitectural Sciences						
Percentage										

FORM: FEA-CDF-B2-JUNE-2013

Part II. Detailed Course Information

Course Objectives

Maximum 100 words.

To teach basics on the space of continuous functions, To learn Differentials of Transformations, To teach the Inverse and Implicit Function Theorems and their applications, To learn the concept of Integrability and measure zero, To teach basics of Fourier Analysis

Learning Outcomes

Explain the learning outcomes of the course. Maximum 10 items.

- 1) The students will understand the basics of differentials of transformations
- 2) The students will understand the notions of Integrability and measure zero
- 3) The students will understand the basics of Fourier Analysis and Parsevals Theorem

Textbook(s) List the textbook(s), if any, and other related main course material.							
Author(s)	Title	Publisher	Publication Year	ISBN			
J.Marsden and DM. J. Hoffman	Elementary Classical Analysis	W.H.Freeman and Company	1995	978-0-7167- 2105-5			

Reference Books List, if any, other reference books to be used as supplementary material.							
Author(s) Title		Publisher	Publication Year	ISBN			
Buck, C and Buck, R.C.	Advanced Calculus	Waveland Press	2003	1577663020			

Teaching Policy

Explain how you will organize the course (lectures, laboratories, tutorials, studio work, seminars, etc.)

4 hours of lecturing per week. Attendance to the lectures is compulsory.

Laboratory/Studio Work

Give the number of laboratory/studio hours required per week, if any, to do supervised laboratory/studio work and list the names of the laboratories/studios in which these sessions will be conducted.

Com	puter	Usage

Briefly describe the computer usage and the hardware/software requirements for the course.

	Course Outline List the weekly topics to be covered.					
Week	Topic(s)					
1	The space of continuous functions, the Arzela - Ascoli theorem, the Stone-Weierstrass theorem					
2	The contraction mapping principle and its applications					
3	Differentiable Mappings, Differentials of transformations, Matrix representation					
4	Continuity of differentiable mappings, Differentiable paths					
5	Conditions for differentiability, The chain rule, Product rule and gradients, Higher derivatives					
6	The Inverse and Implicit Function Theorems and Related Topics					
7	Maxima and Minima of the functions defined on R^n					
8	Constrained extrema and Lagrange Multipliers					
9	Quadratic Forms, Generalized form of Hessian					
10	Integration, Integrable functions, Volume and sets of measure zero					
11	Improper Integrals, convergence theorems and their applications					
12	Leibnitz's Formula, Gamma and Beta Functions Double and triple integrals, Fubini's Theorem and the change of variables formula					
13	Fourier Analysis; Inner Product Spaces, Orthogonal Families of Functions					
14	Convergence Properties of Fourier Series and Review					

Grading Policy List the assessment tools and their percentages that may give an idea about their relative importance to the end-of-semester grade.									
Assessment Tool	Quantity	Percentage	Assessment Tool	Quantity	Percentage	Assessment Tool	Quantity	Percentage	
Homework	2	10	Case Study			Attendance			
Quiz(es)			Lab Work			Field Study			
Midterm Exam	2	50	Classroom Participation			Project			
Term Paper			Oral Presentation			Final Exam	1	40	

Activity	Quantity	Duration (hours)	Total Workload (hours)
Attending Lectures (weekly basis)	14	4	56
Attending Labs/Recitations (weekly basis)			
Compilation and finalization of course/lecture notes (weekly basis)	14	1	14
Collection and selection of relevant material (once)	1	11	11
Self study of relevant material (weekly basis)	14	2	28
Take-home assignments	2	8	16
Preparation for quizzes			
Preparation for mid-term exams (including the duration of the exams)	2	25	50
Preparation of term paper/case-study report (including oral presentation)			
Preparation of term project/field study report (including oral presentation)			
Preparation for final exam (including the duration of the exam)	1	25	25
	TOTAL V	VORKLOAD / 25	200/25
		ECTS Credit	8

Total Workloads are calculated automatically by formulas. To update all the formulas in the document first press CTRL+A and then press F9.

Program Qualifications vs. Learning Outcomes Consider the program qualifications given below as determined in terms of learning outcomes and acquisition of capabilities for all the courses in the curriculum. Look at the learning outcomes of this course given above. Relate these two using the Likert Scale by marking with X in one of the five choices at the right.

No	o Program Qualifications		Contribution			
.,,0	1 rogram qualifications	0	1	2	3	4
1	Adequate knowledge in mathematics; ability to use applied and theoretical information in these areas to solve pure and applied mathematical problems.					Х
2	Ability to use modern computational tools to analyze an abstract or real life problem			х		
3	Adequate knowledge in theoretical and historical background in mathematics				х	
4	Ability to work individually and in teams efficiently, ability to collaborate effectively in teams to analyze complex systems from intra-disciplinary and multi-disciplinary areas				х	
5	Ability to communicate effectively in English about technical subjects, both orally and in writing				х	
6	Ability to use, develop and implement new experiments and algorithms to solve scientific, engineering and financial problems				х	
7	Ability to analyze a mathematical problem using both analytical and numerical methods; use and compare theoretical and simulational methods to gain deeper insight				х	
8	Ability to report the findings, conclusions and interpretations related to a project in the area of pure and applied mathematics, ability to write technical reports, to prepare and conduct effective presentations				х	
9	Recognition of the need for lifelong learning; ability to access information, to follow developments in science and technology, and to keep continuous self improvement				х	
10	Awareness of professional and ethical responsibility issues and their legal consequences					х

Scale for contribution to a qualification: 0-none, 1-little, 2-moderate, 3-considerable, 4-highest